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*Symbolic counter-examples for quantitative multiple recurrence problems*

Furstenberg multiple convergence theorem states that for every set  $A$  with positive measure in a measure preserving system, there are infinitely many  $n$  such that the set  $A \cap T^{-n}A \cap \dots \cap T^{-dn}A$  is of positive measure. Instead of asking the positivity of the measure of the set  $A \cap T^{-n}A \cap \dots \cap T^{-dn}A$ , quantitative multiple recurrence problems studies how far (and how often) is this measure away from 0. In this talk, I will introduce recent advances of this topic as well as its connection to the symbolic dynamics and combinatorics. This is joint work with Sebastian Donoso.