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*Radiative Transfer Equation with the Henyey-Greenstein Kernel*

Radiative transfer equations with the Henyey-Greenstein kernel are often used to model light scattering in media such as animal tissues. In such models the forward-peakedness of the scattering kernel is measured by an anisotropic factor  $g$ . It is known in the physics literature that asymptotic behaviour when  $g \rightarrow 1$  is not the classical Fokker-Planck operator. Indeed in this talk we show that the limit should be a fractional Laplace operator on the sphere. Based on this analytical result, we design numerical schemes for approximating the scattering operator with the Henyey-Greenstein kernel. Unlike previous results when the mesh size depends on  $g$  and have to be refined as  $g$  approaches 1, our method is uniform in  $g$ . This reduces the computational cost when  $g$  is close to 1 and can provide an efficient scheme for solving RTE over the region where  $g$  varies in different parts.