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*Heegner point constructions*

Given a rational elliptic curve  $E$  and an imaginary quadratic field  $K$  that satisfies the so called Heegner hypothesis, we can construct points on  $E$  defined over abelian extensions of  $K$  called Heegner points. These points, that can be explicitly computed, are crucial in order to understand the arithmetic of the elliptic curve.

Whenever the sign of the functional equation of  $E/K$  is  $-1$  we expect to find analogues of Heegner points, even if the Heegner hypothesis is not satisfied, according to a conjecture of Darmon. The main goal of this talk is to show how to obtain these points in both a computational and theoretical way in all cases where we expect a construction to take place in an unramified quaternion algebra.